Compensation of MIMO-OFDM Radio Signal Distortion in Radio over Fiber-Distributed Antenna System using Optical TDM Tatsuya Kidani, Takeshi Higashino, Minoru Okada Nara Institute of Science and Technology

Abstract

Radio on Fiber-Distributed Antenna System (RoF-DAS) with optical Time Division Multiplexing (TDM) is known to improve coverage and wireless performance. This system uses switcher to demultiplex TDM signal for Multiple Input Multiple Output (MIMO) and switches are required to synchronize completely. If synchronization mismatch happens, it cause critically signal degradation. We proposes asynchronous optical TDM. In this proposal, synchronization mismatch is compensated by estimating the amount of drifting and cancel it out at the Remote Antenna Unit (RAU). The bit error ratio (BER) performance is evaluated by using computer simulation.

Problem & Channel Model

Problem

The switch is required accurate behavior. If not, each signals are mixed (High correlation). High correlation causes wireless performance degradation. In order to avoid the decrease of the performance, we propose the compensation methods of synchronization mismatch

♦ Result

We suppose there is no propagation loss between RoF links.

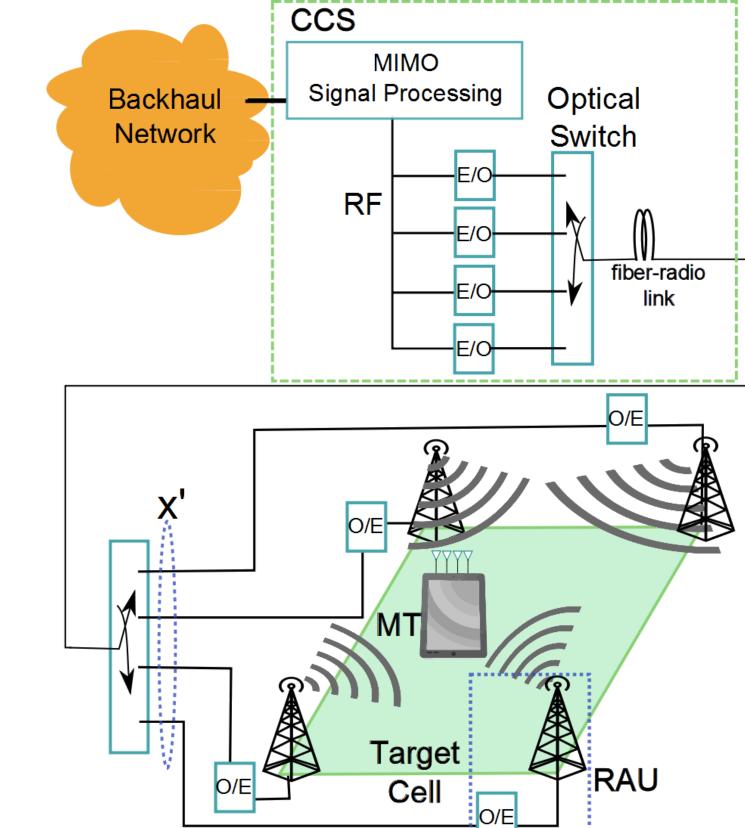
TABLE I: SIMULATION PARAMETER

Modulation	16QAM
Number of RAUs	4
Number of MT's Antennas	4
Clock Delay	0.1~0.9
MIMO Detection	Zero-Forcing
Pilot Sequence	M-sequence
Noise	AWGN
Fading Channel (Air)	i.i.d, Flat Rayleigh Fading

Introduction

Key Technology

1. Radio on Fiber (RoF) 2. Distributed Antenna System (DAS) 3. Optical TDM



Channel Model

Ideal MIMO

 $y = H_{air}x + n$

With synchronization mismatch

Transmitted signal is shown by this equation

$$\mathbf{x}' = \begin{bmatrix}
x_1(1-\tau) & x_2\tau \\
x_2(1-\tau) & x_3\tau \\
x_3(1-\tau) & x_4\tau \\
x_1\tau & x_4(1-\tau)
\end{bmatrix} \\
= \begin{bmatrix}
1-\tau & \tau & 0 & 0 \\
0 & 1-\tau & \tau & 0 \\
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Channel Capacity with synchronization mismatch Shannon-Hartley theorem

$$C = \log_2 \det(\mathbf{I} + \frac{\gamma_0}{n_t} (\mathbf{H}_{air} \mathbf{T})^H (\mathbf{H}_{air} \mathbf{T}))$$

In Fig. 5, the proposed methods can compensate synchronization mismatch over the range of all synchronization mismatch. However, as the tau approaches 0.5, BER of pure-ZF becomes lower. This is because correlation of channel matrix becomes higher as the tau approaches 0.5. In Fig. 6, the proposed method give the good

BER compared to pure-ZF among three modulation levels. For a BER of 10^-3, we obtain an additional gain of about 8.5dB for the proposed estimation algorithm in 16QAM.

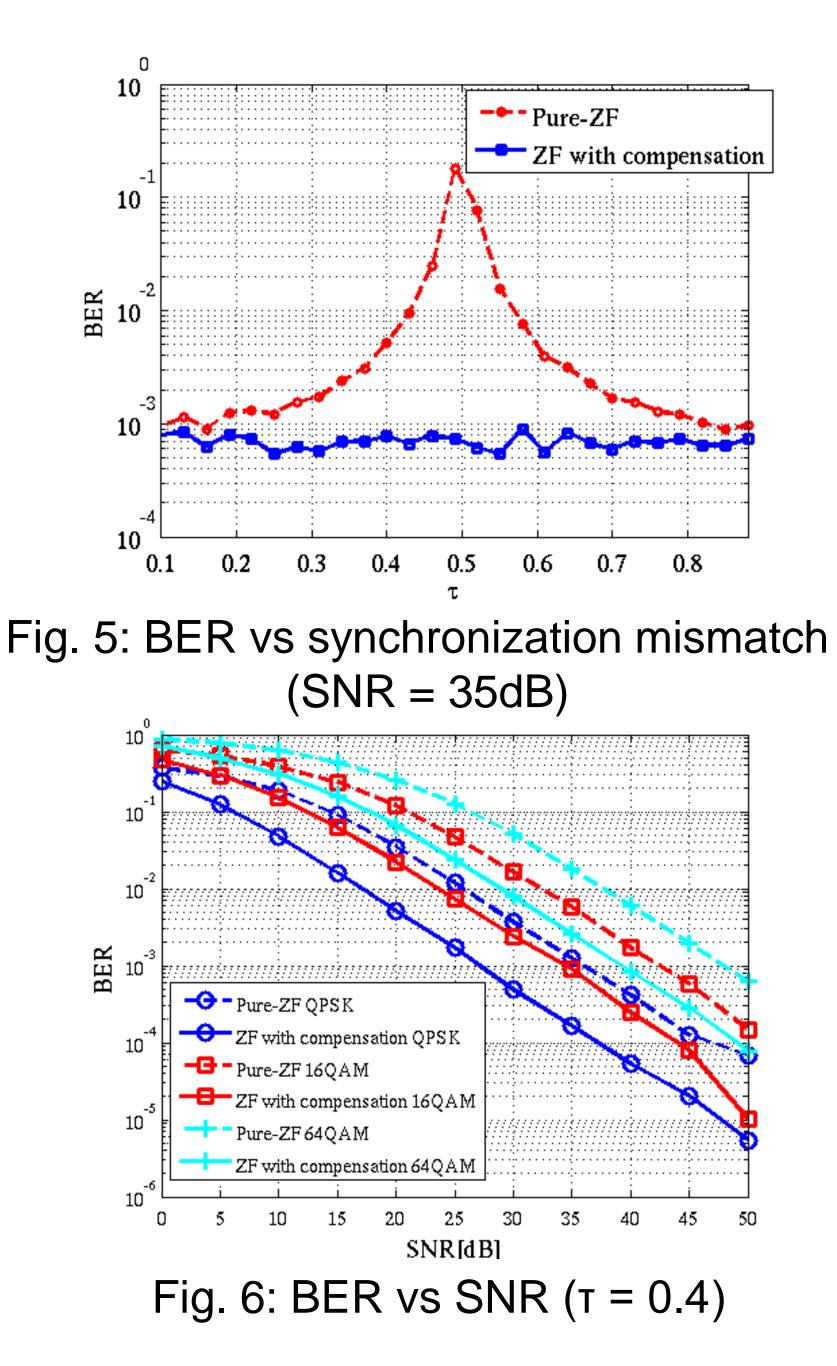


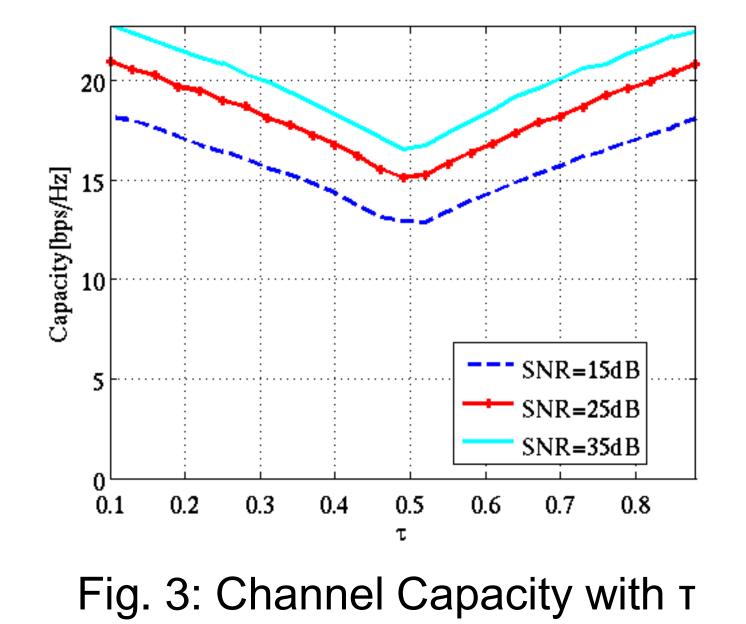
Fig. 1: Radio on Fiber-Distributed Antenna System with optical TDM Merit

- High Coverage
- Low Spatial Correlation \bullet
- Reduction of transmission power \bullet

Configuration of This System

- Optical pulse source emits periodic pulse a. train
- RF signal modulates the optical pulse b. intensity
- Employ optical delay lines and the optical signals are combined
- O/E conversion is performed and signal is d.

- γ_0 : ratio between transmission power and noise power
- n_t : number of antenna at CCS
- *I* : identity matrix



Compensation Method

We implemented the delay matrix estimator at the RAU. In this proposal, we utilities pilot

Conclusion



RF signal are re-generated from TDM e. signal with band pass filters (BPFs)

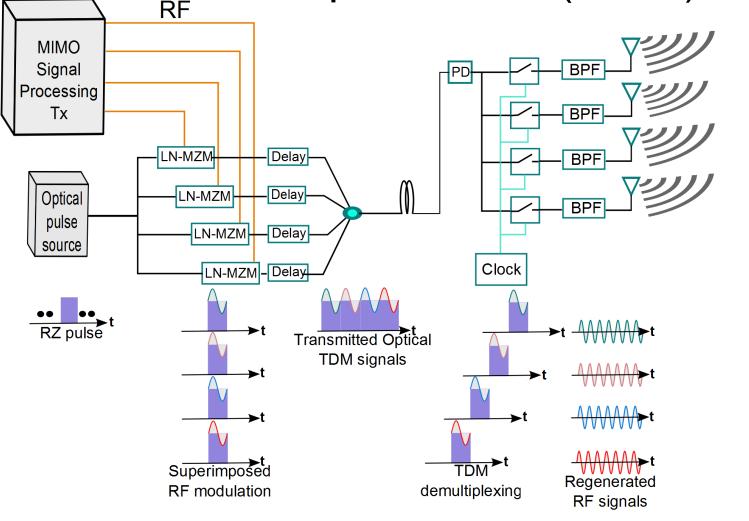


Fig. 2: Configuration of RoF-DAS using optical TDM

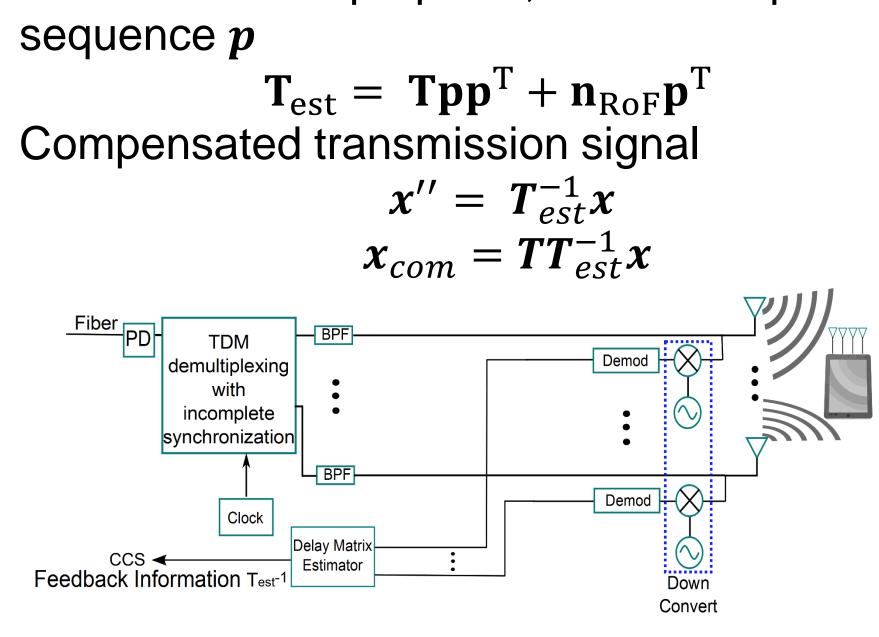


Fig. 4: Feedback Scheme

- To avoid critical degradation due to the incomplete synchronization, a new compensation scheme is proposed.
- This scheme can estimate amount of synchronization mismatch and also gives an improvement in BER performance.